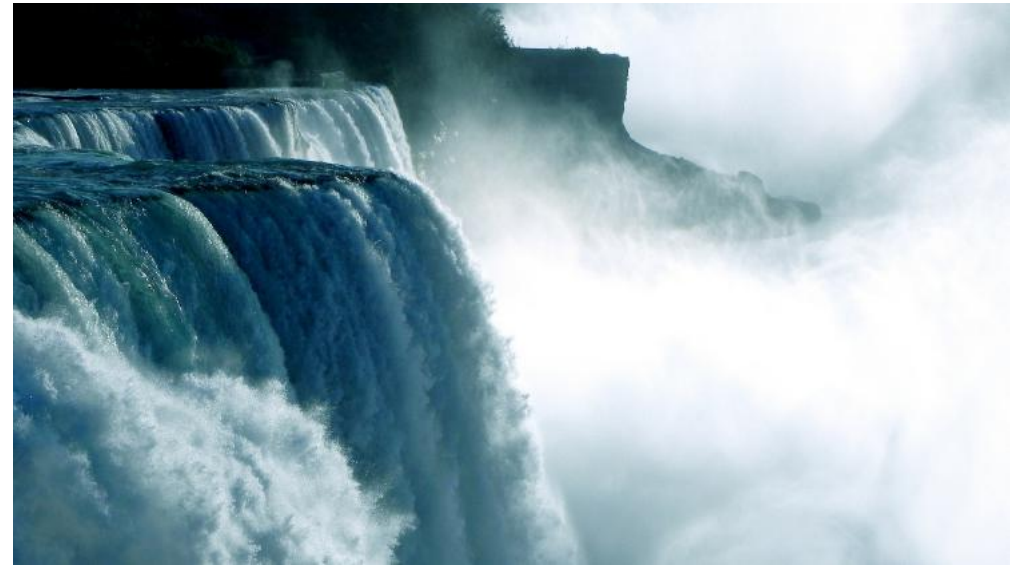
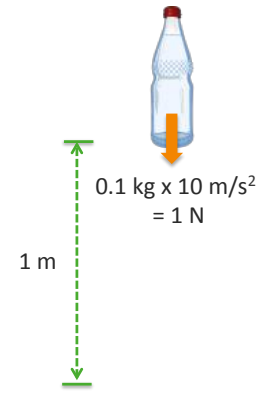


Measuring energy

Professor Arno Smets





Energy
The ability of a system to do work

Joule (J) – the unit of energy
The energy required to move an object by 1 metre (m) against a force of 1 Newton (N)

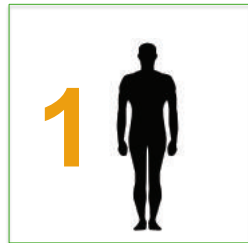
$1 J = 0.1 \text{ kg} \times 10 \text{ m/s}^2 \times 1 \text{ m} = 1 \text{ N}\cdot\text{m}$



1 Human unit = 10.46 MJ

1 Mega Joule = 10⁶ J

1 kilo Joule = 10³ J



Daily food requirement
= 10.46 MJ



5.5 GJ/day
= 5479 MJ



524

411 MJ/day



39.3

1.4 MJ/day




0.13



1.2 EJ/day
= 1233 PJ




118 billion



8.2 PJ/day
= 8219 TJ




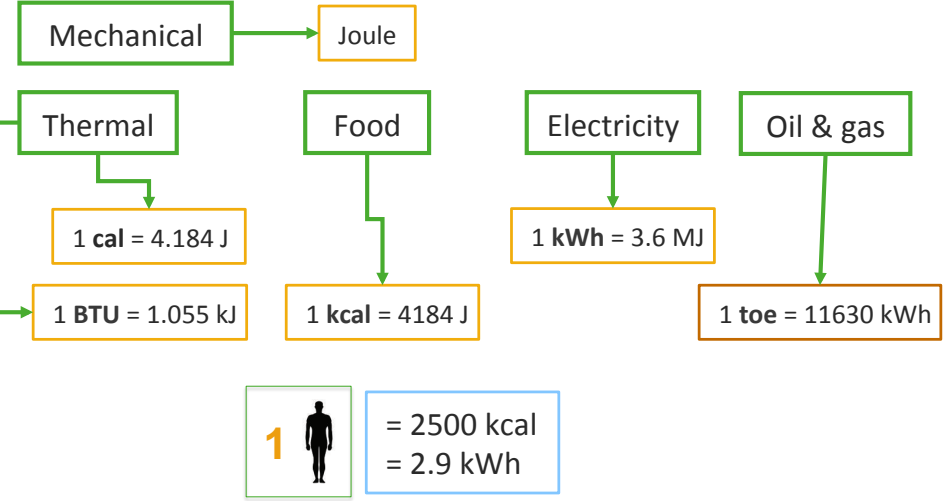
783 million



43.2 TJ/day
= 43 200 GJ



4.1 million

Power

The rate at which work is done; the amount of energy spent per unit time.

Watt – the unit of power

When a system produces/consumes 1 Joule of energy in 1 second, the system has 1 Watt (W) of power.

$1 W = 1 J/s$



1 hp = 746 W



Energy Conversion

Professor Arno Smets

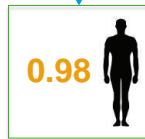
Steven Kiprotich

42.165 km in
2:08:01

$$\text{Power} = \frac{2.84 \text{ kWh}}{2.134 \text{ h}} = 1.33 \text{ kW}$$

= 1 Steven

2.84 kWh



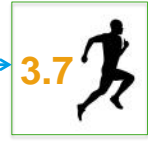
x 5 = 1

1 5 20

80 kW



5 kW



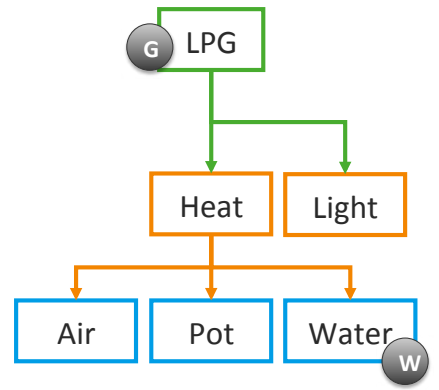
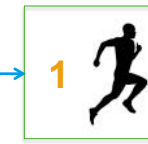
1.5 kW



0.12 kW

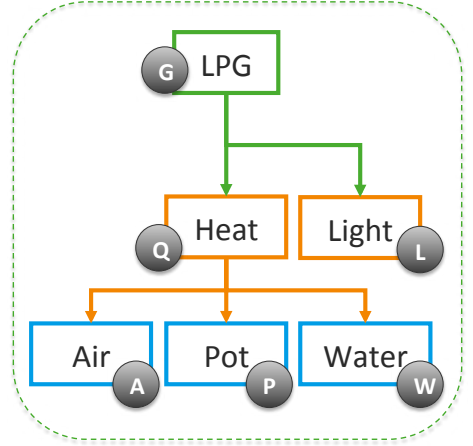


x11



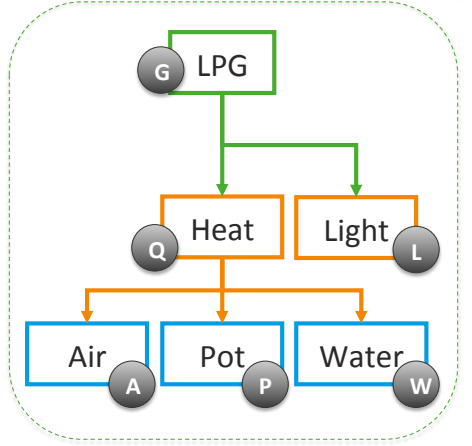
Law of conservation of energy
Energy can neither be created nor destroyed; it can only be *converted* from one form to another

$$G = Q + L$$
$$Q = A + P + W$$



$$G > Q$$
$$Q > W$$

Exergy
The *exergy* content of an energy carrier is the maximum amount of work that can be extracted from it



Steven Kiprotich

54kg → speed 5.5 m/s

724 W

Exergy: 1.5 kWh

Total power consumption: 2.84 kWh

1.34 kWh



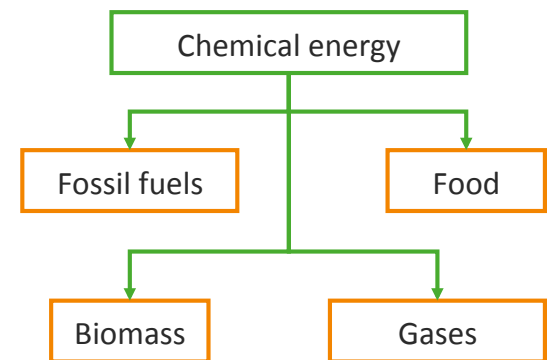
Energy carriers

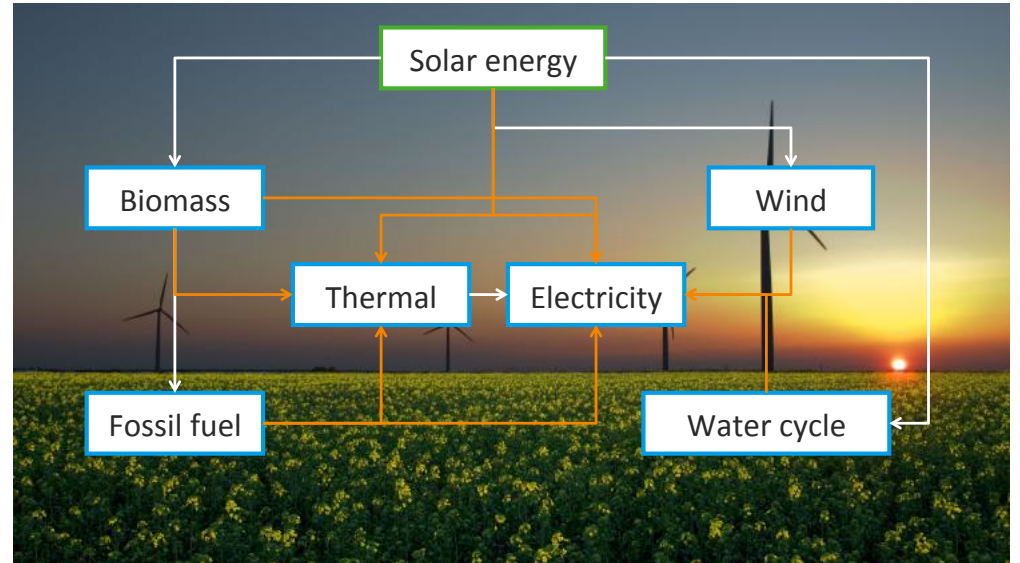
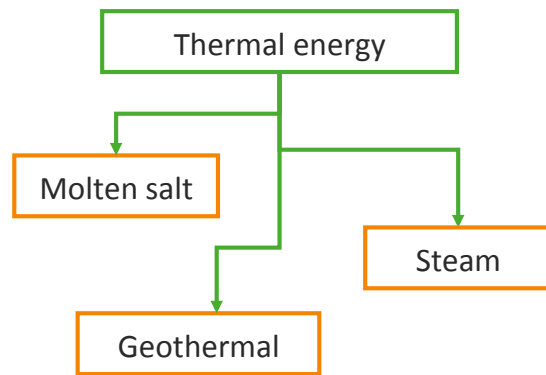
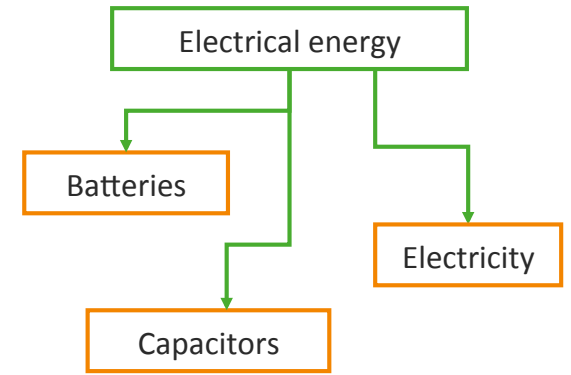
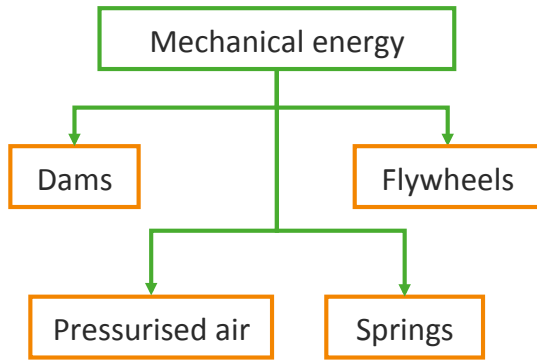
Professor Arno Smets



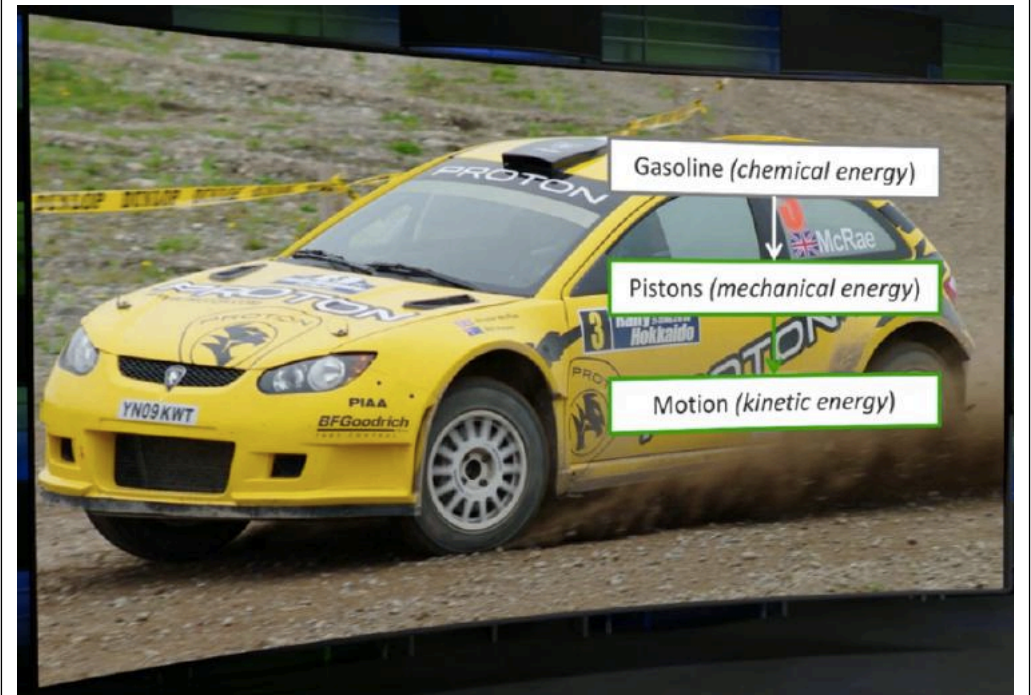
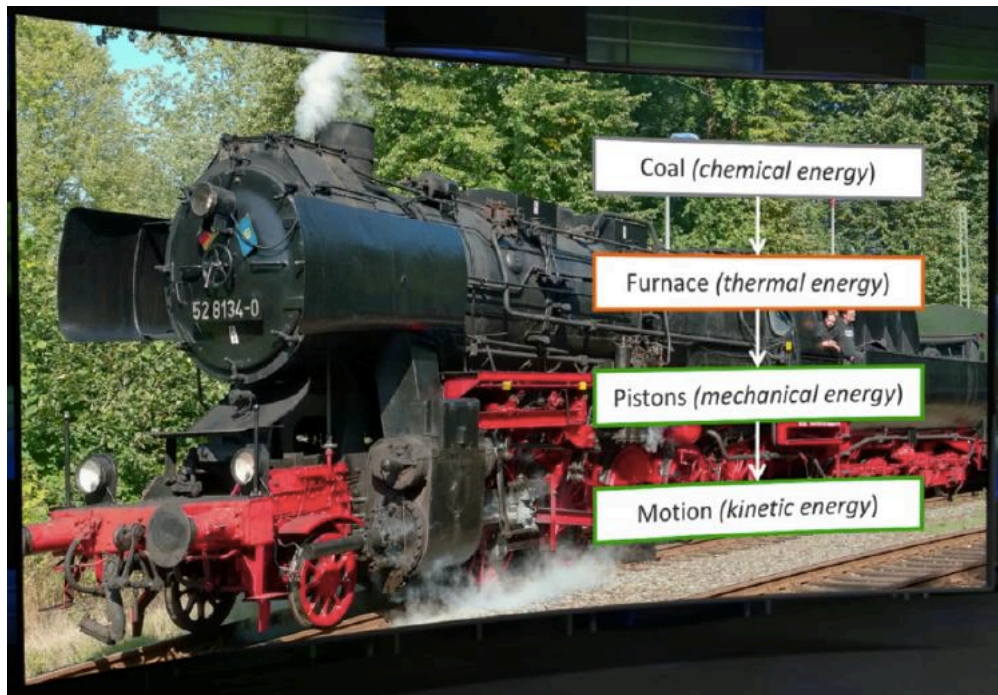
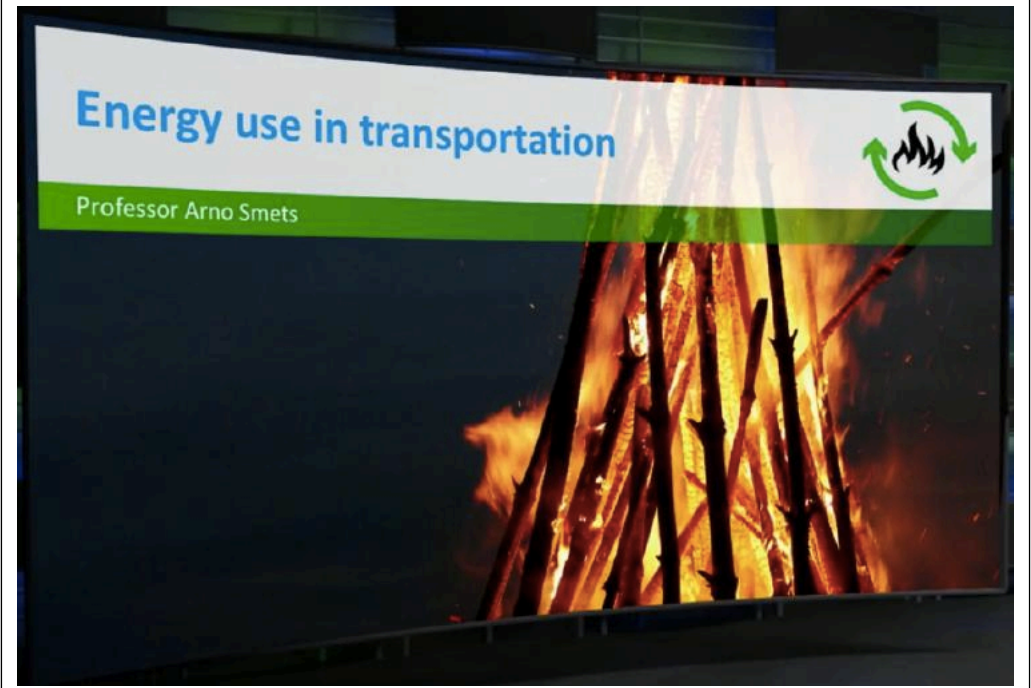
Energy carrier

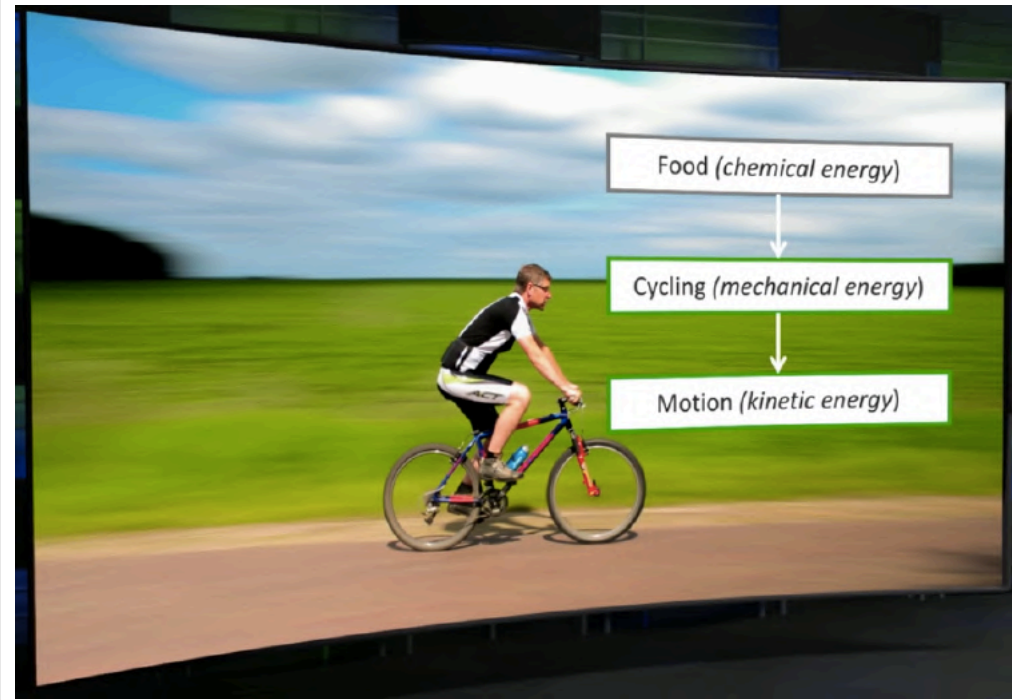
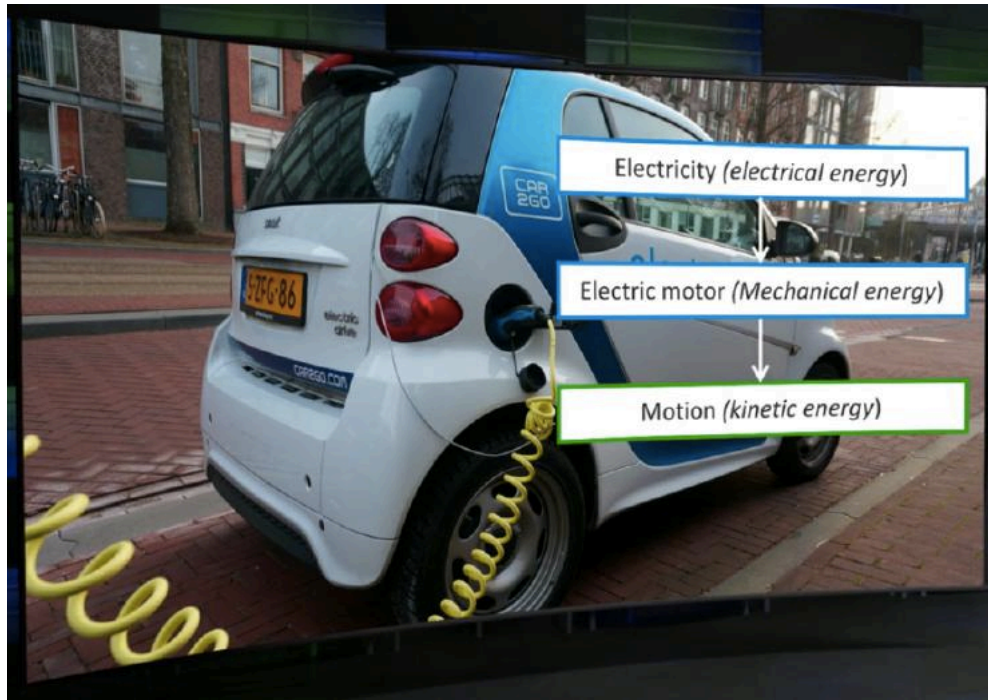
An energy carrier is a substance or phenomenon that contains energy which can be converted to mechanical work or heat, or used to operate chemical or physical processes





Fuel	Energy Content [kWh/kg]
Gasoline	12.4
Hard Coal	6.7 - 8.6
Brown Coal	1.9 – 5.6
Wood	5
Kerosene	12.1
Compressed Hydrogen	39.5
Natural gas	10.8 – 13.2





Energy use of a car

- 1 Air resistance (P_a)

$$P_a = \frac{1}{2} \cdot C_D \cdot A \cdot \rho \cdot v^3$$

Where,

- C_D = Drag coefficient
- A = effective car area
- ρ = air density
- v = speed of the car



Energy use of a car

- 1 Air resistance (P_a)

$$\text{Volume/sec} = A \cdot v$$

$$\text{Mass/sec, } M_a = \rho \cdot A \cdot v$$

$$\text{Energy/sec} = \frac{1}{2} \cdot M_a \cdot v^2$$

$$= \frac{1}{2} \cdot (\rho \cdot A \cdot v) \cdot v^2$$

$$= \frac{1}{2} \cdot A \cdot \rho \cdot v^3$$



Energy use of a car

2 Rolling resistance (P_r)

$$P_r = C_R \cdot M \cdot g \cdot v$$

Where,

C_R = Rolling coefficient

M = Mass of the car

g = gravitational acceleration

v = speed of the car

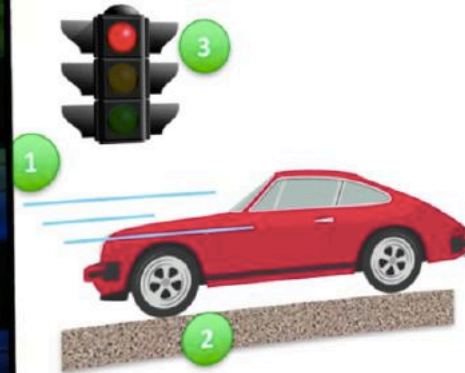


Energy use of a car

3 Braking power (P_b)

$$\text{Kinetic energy} = \frac{1}{2} \cdot M \cdot v^2$$
$$\text{Time between braking} = d/v$$

$$P_b = (\frac{1}{2} \cdot M \cdot v^2) / (d/v)$$



Energy use of a car

3 Braking power (P_b)

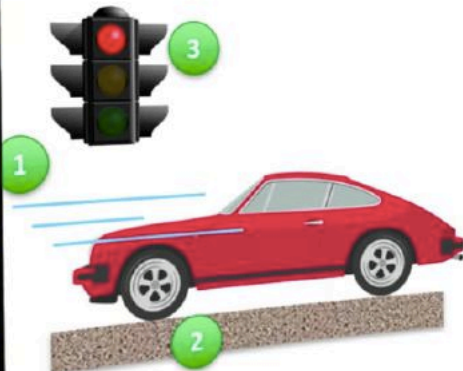
$$P_b = \frac{1}{2} \cdot M \cdot v^3 / d$$

Where,

M = Mass of the car

v = speed of the car

d = distance travelled at speed v , before braking



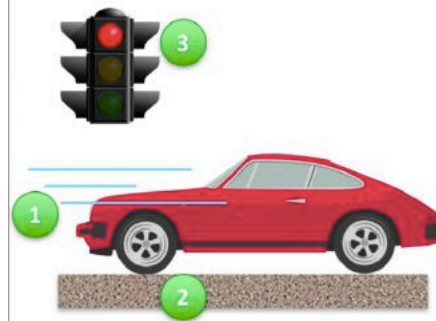
Energy use of a car

$$\text{Total power} = P_a + P_r + P_b$$

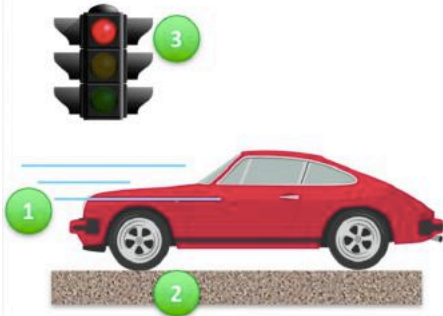
$$= \frac{1}{2} \cdot C_D \cdot A \cdot \rho \cdot v^3$$

$$+ C_R \cdot M \cdot g \cdot v$$

$$+ \frac{1}{2} \cdot M \cdot v^3 / d$$

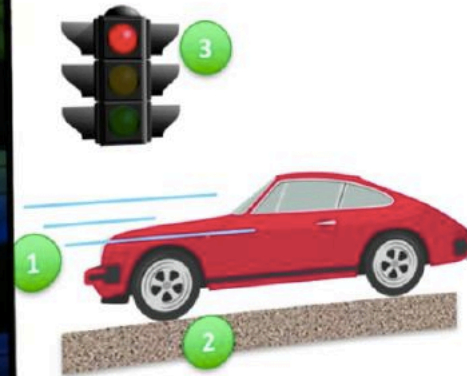


Energy use of a car



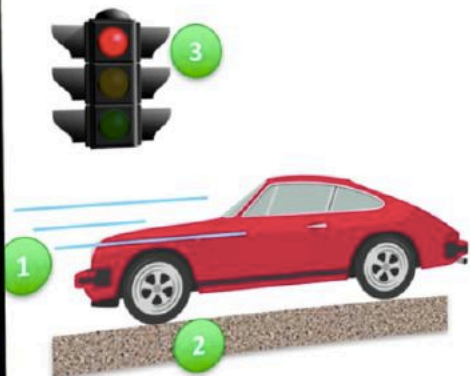
$$\begin{aligned}
 \text{Total power} &= P_a + P_r + P_b \\
 &= \frac{1}{2} \cdot 0.3 \cdot 1.5 \text{ m}^2 \cdot 1.2 \text{ kg/m}^3 \cdot (20 \text{ m/s})^3 \\
 &\quad + 0.01 \cdot 1000 \text{ kg} \cdot 9.81 \text{ m/s}^2 \cdot 20 \text{ m/s} \\
 &\quad + \frac{1}{2} \cdot 1000 \text{ kg} \cdot (20 \text{ m/s})^3 / 1000 \text{ m}
 \end{aligned}$$

Energy use of a car



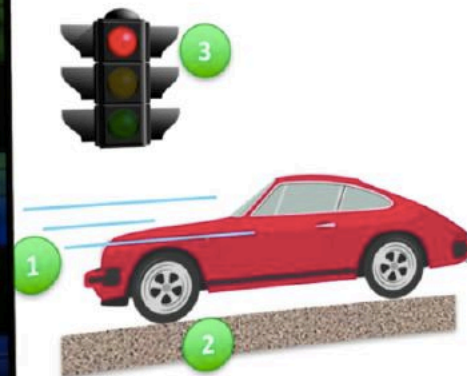
$$\begin{aligned}
 \text{Total power} &= P_a + P_r + P_b \\
 &= 2.16 \text{ kW} \quad (1) \\
 &\quad + 1.962 \text{ kW} \quad (2) \\
 &\quad + 4 \text{ kW} \quad (3)
 \end{aligned}$$

Energy use of a car



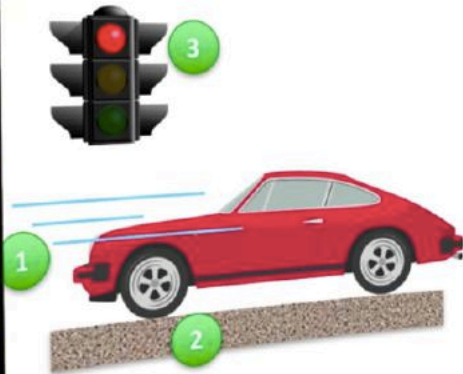
$$\begin{aligned}
 \text{Total power} &= P_a + P_r + P_b \\
 &= \frac{1}{2} \cdot 0.3 \cdot 1.5 \text{ m}^2 \cdot 1.2 \text{ kg/m}^3 \cdot (20 \text{ m/s})^3 \\
 &\quad + 0.01 \cdot 1000 \text{ kg} \cdot 9.81 \text{ m/s}^2 \cdot 20 \text{ m/s} \\
 &\quad + \frac{1}{2} \cdot 1000 \text{ kg} \cdot (20 \text{ m/s})^3 / 1000 \text{ m}
 \end{aligned}$$

Energy use of a car



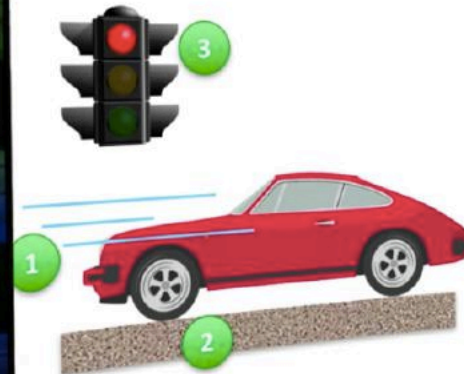
$$\begin{aligned}
 \text{Total power} &= P_a + P_r + P_b \\
 &= \frac{1}{2} \cdot 0.3 \cdot 1.5 \text{ m}^2 \cdot 1.2 \text{ kg/m}^3 \cdot (10 \text{ m/s})^3 \\
 &\quad + 0.01 \cdot 1000 \text{ kg} \cdot 9.81 \text{ m/s}^2 \cdot 10 \text{ m/s} \\
 &\quad + \frac{1}{2} \cdot 1000 \text{ kg} \cdot (10 \text{ m/s})^3 / 1000 \text{ m}
 \end{aligned}$$

Energy use of a car



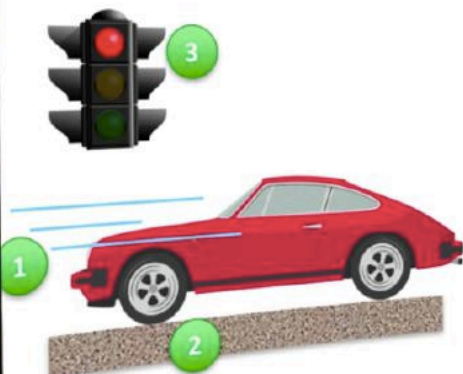
$$\begin{aligned}
 \text{Total power} &= P_a + P_r + P_b \\
 &= 0.27 \text{ kW} \quad (1) \\
 &+ 0.981 \text{ kW} \quad (2) \\
 &+ 0.5 \text{ kW} \quad (3)
 \end{aligned}$$

Energy use of a car



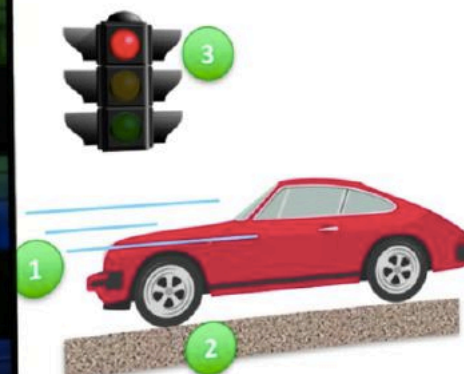
$$\begin{aligned}
 \text{Total power} &= P_a + P_r + P_b \\
 &= \frac{1}{2} \cdot 0.3 \cdot 1.5 \text{ m}^2 \cdot 1.2 \text{ kg/m}^3 \cdot (20 \text{ m/s})^3 \\
 &+ 0.01 \cdot 1000 \text{ kg} \cdot 9.81 \text{ m/s}^2 \cdot 20 \text{ m/s} \\
 &+ \frac{1}{2} \cdot 1000 \text{ kg} \cdot (20 \text{ m/s})^3 / 1000 \text{ m}
 \end{aligned}$$

Energy use of a car



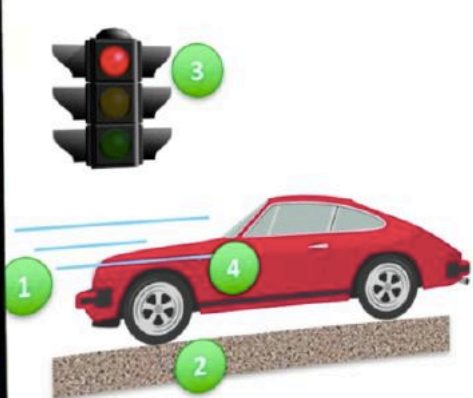
$$\begin{aligned}
 \text{Total power} &= P_a + P_r + P_b \\
 &= \frac{1}{2} \cdot 0.3 \cdot 1.5 \text{ m}^2 \cdot 1.2 \text{ kg/m}^3 \cdot (20 \text{ m/s})^3 \\
 &+ 0.01 \cdot 1000 \text{ kg} \cdot 9.81 \text{ m/s}^2 \cdot 20 \text{ m/s} \\
 &+ \frac{1}{2} \cdot 1000 \text{ kg} \cdot (20 \text{ m/s})^3 / \underline{15000 \text{ m}}
 \end{aligned}$$

Energy use of a car



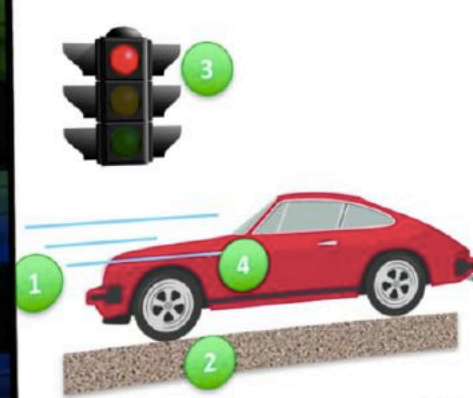
$$\begin{aligned}
 \text{Total power} &= P_a + P_r + P_b \\
 &= 2.16 \text{ kW} \quad (1) \\
 &+ 1.962 \text{ kW} \quad (2) \\
 &+ 0.267 \text{ kW} \quad (3)
 \end{aligned}$$

Energy use of a car



1. Engine losses ($\eta = 25\%$)
2. Starting-up losses
3. Climate control
4. Accessories/features

Energy use of a car



1. Engine losses ($\eta = 25\%$)
2. Starting-up losses
3. Climate control
4. Accessories/features

100 km → 40 kWh - 120 kWh

Source: K. Biak, Energy Analysis.

Transportation mode	Energy use per passenger-km [kWh/p-km]
Passenger car	0.44
City bus	0.27
Local train/tram	0.23
Intercity train	0.14
High-speed train	0.3
Aircraft	0.55

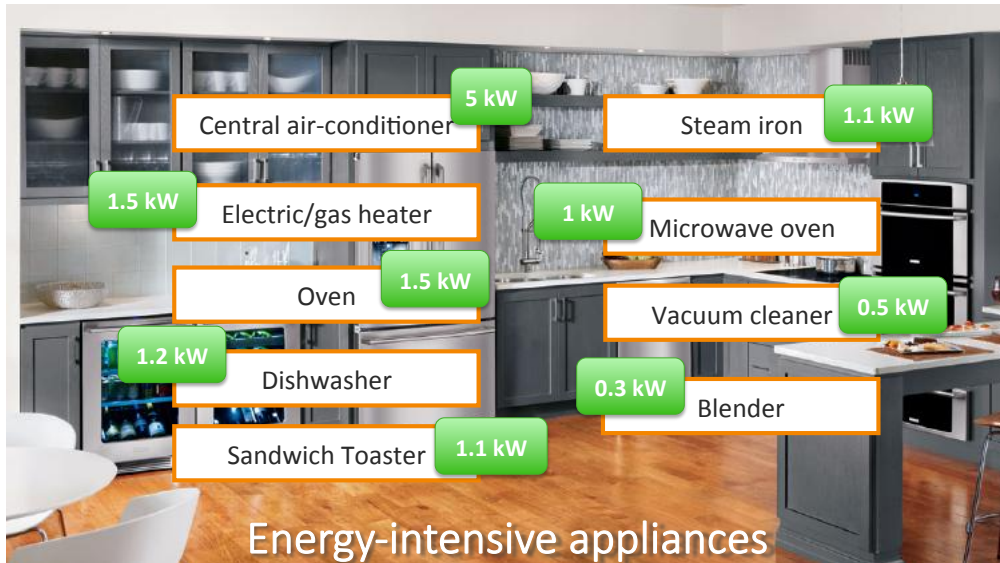
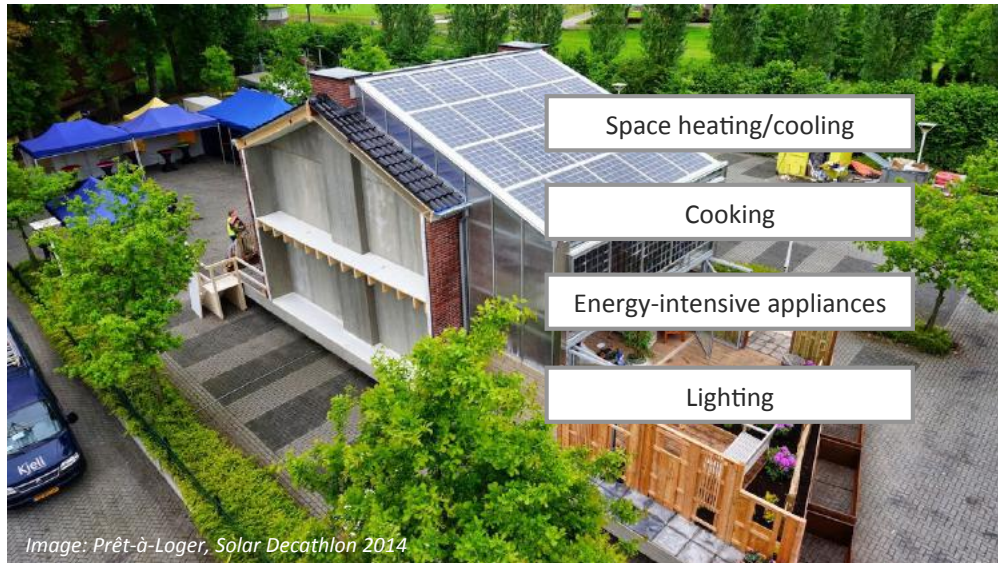
Country	Vehicles per 1000 people
United States	809
The Netherlands	528
United Kingdom	519
Brazil	249
China	128
India	18

Source: World Bank Data, 2014.

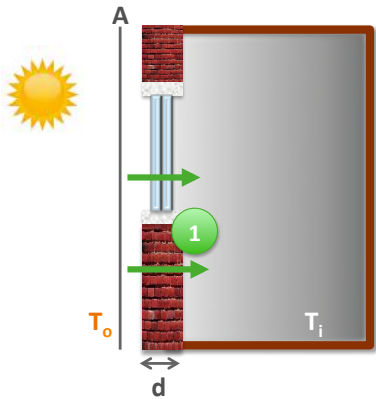


Energy use in buildings

Professor Arno Smets



Heat transfer



1 Conduction through walls (Q_c)

$$Q_c = \lambda \cdot \Delta T / d \cdot A$$

Where,

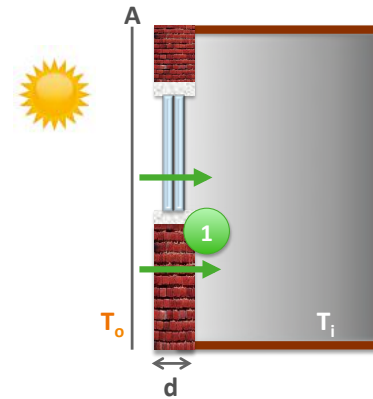
λ = Thermal conductivity of wall

$\Delta T = T_o - T_i$

d = wall thickness

A = wall surface area

Heat transfer



1 Conduction through walls (Q_c)

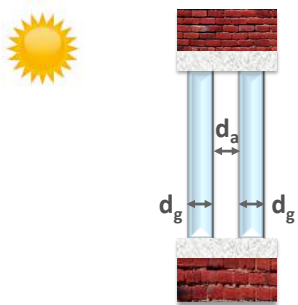
$$Q_c = \lambda \cdot \Delta T / d \cdot A$$

$$\lambda / d = k$$

k = thermal conductivity

$$Q_c = k \cdot A \cdot \Delta T$$

Heat transfer



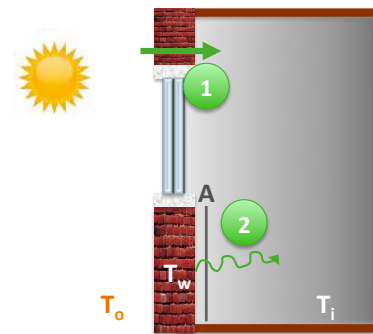
1 Conduction through windows (Q_c)

$$1/k = d/\lambda = R$$

R = Thermal resistance

$$\begin{aligned} R_{window} &= R_g + R_a + R_g \\ &= 1/k_g + 1/k_a + 1/k_g \\ &= d_g/\lambda_g + d_a/\lambda_a + d_g/\lambda_g \end{aligned}$$

Heat transfer



2 Convection from walls (Q_w)

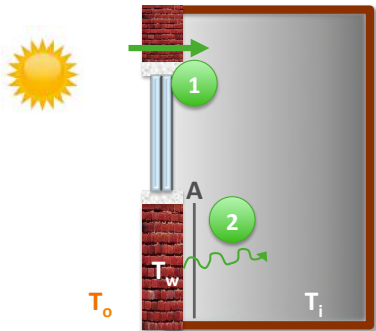
$$Q_w = h \cdot A \cdot \Delta T$$

h = convection heat transfer coefficient

$\Delta T = T_w - T_i$

A = wall surface area

Heat transfer



2 Convection from walls (Q_w)

$$1/h = R_{conv}$$

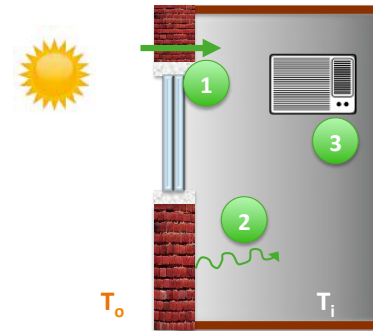
R_{conv} = Thermal resistance to convection

$$R_{wall,total} = R + R_{conv}$$

$$R_{wall,total} = 1/k_{wall} + 1/h_{wall}$$

$$U = 1/R_{wall,total} \text{ [W/(m}^2\cdot\text{K)]}$$

Heat transfer



3 Ventilation (Q_v)

$$Q_v = C_p \cdot \dot{m} \cdot \Delta T$$

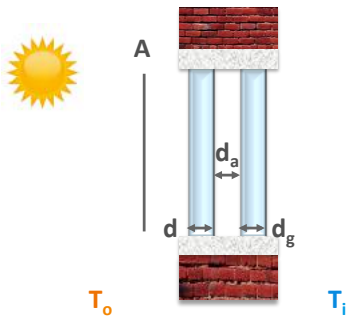
Where,

\dot{m} = mass of air exchanged/second

C_p = specific heat of air

$$\Delta T = T_o - T_i$$

Heat transfer



1+2 Heat transfer through windows (Q_c)

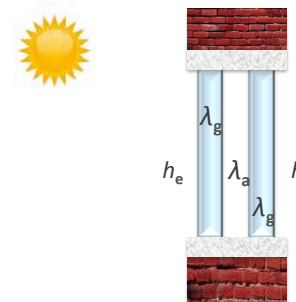
$$T_o = 30 \text{ }^\circ\text{C} \quad T_i = 20 \text{ }^\circ\text{C} \quad \Delta T = 10$$

$$A = 10 \text{ m}^2 \quad d_g = 3 \text{ mm} \quad d_a = 1 \text{ cm}$$

$$\lambda_g = 0.96 \text{ [W/(m}\cdot\text{K)]}$$

$$\lambda_a (25^\circ) = 0.024 \text{ [W/(m}\cdot\text{K)]}$$

Heat transfer



1+2 Conduction through windows (Q_c)

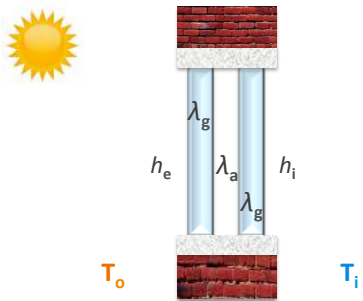
$$h_e = 23 \text{ [W/(m}^2\text{K)]} \quad h_i = 8 \text{ [W/(m}^2\text{K)]}$$

$$R_{d.window} = 1/h_e + d_g/\lambda_g + d_a/\lambda_a + d_g/\lambda_g + 1/h_i$$

$$R_{d.window} = 1/23 + 0.003/0.96 + 0.01/0.024 + 0.003/0.96 + 1/8$$

$$R_{d.window} = 0.5914 \text{ [m}^2\cdot\text{K/W]}$$

Heat transfer



1+2 Conduction through windows (Q_c)

$$U = 1/R_{d.window}$$

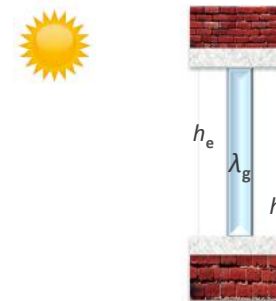
$$U = 1.69 [W/(m^2K)]$$

$$Q_{d.windows} = U \cdot A \cdot \Delta T$$

$$Q_{d.windows} = 1.69 \cdot 10 \cdot 10$$

$$Q_{d.windows} = 169 W$$

Heat transfer



1+2 Conduction through windows (Q_c)

$$R_{s.window} = 1/h_e + d_g/\lambda_g + 1/h_i$$

$$R_{s.window} = 1/23 + 0.003/0.96 + 1/8$$

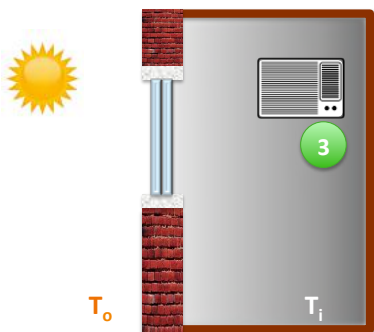
$$R_{s.window} = 0.1716 [m^2 \cdot K/W]$$

$$U = 1/R_{s.window} = 5.827 [W/(m^2K)]$$

$$Q_{s.windows} = 5.827 \cdot 10 \cdot 10$$

$$Q_{s.windows} = 582.7 W$$

Heat transfer



3 Ventilation Heatflow for typical house

$$Q_v = C_p \cdot \dot{m} \cdot \Delta T$$

$$Q_v = C_p \cdot \rho \cdot \dot{V} \cdot \Delta T$$

$$Q_v = 1005 \cdot 1.205 \cdot 0.03 \cdot 10$$

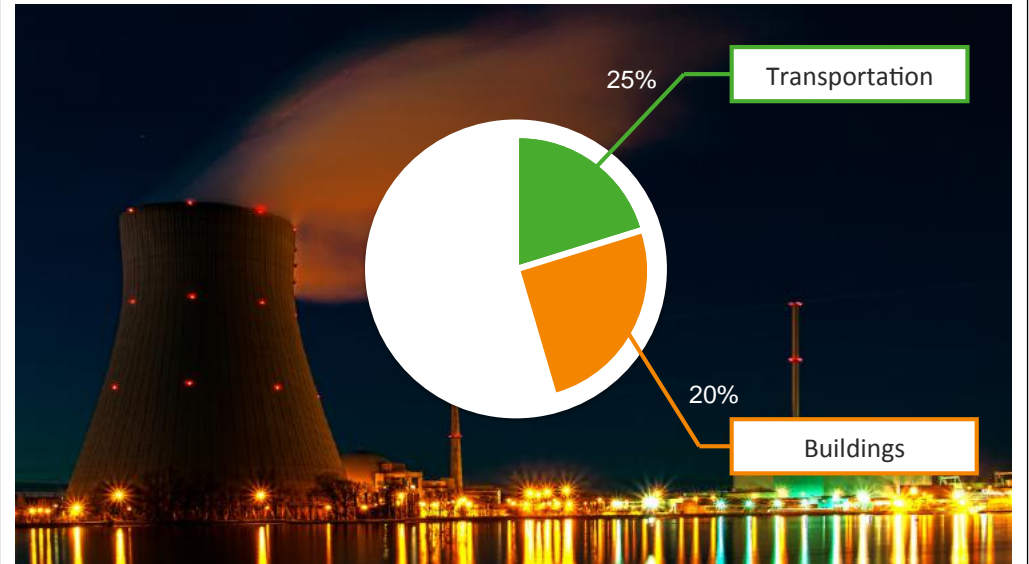
$$Q_v = 363 W$$

Country	Household electricity use <i>per capita</i> [kWh/pp/day]	Electricity use per <i>electrified household</i> [kWh/hh/day]
United States	12.0	33.7
United Kingdom	4.6	10.8
The Netherlands	4.3	9.0
Brazil	1.8	5.6
China	1.4	4.3
India	0.5	2.9

Source: Enerdata, WEC, 2014.

Country	Electrical appliances including lighting per capita [kWh/pp/day]	Electric space heating and cooling per capita [kWh/pp/day]
United States	7.2	4
United Kingdom	2.6	0.9
The Netherlands	2.4	0.6
Brazil	1.3	0.2
China	1.3	0.1
India	0.9	0.1

Source: Enerdata, WEC, 2014.
Note: 3 people per electrified household assumed.



Energy use in industry

Professor Arno Smets

The slide features a background image of a large bonfire made of logs, with bright orange and yellow flames rising into the air. The text and icons are overlaid on a semi-transparent white and green banner at the top.

Energy-intensive industry

- Iron & steel
- Aluminium
- Petrochemicals
- Cement

The slide shows a background image of a complex industrial facility, likely a steel mill or refinery, with multiple levels of walkways, pipes, and large cylindrical tanks. The scene is lit with industrial lights, creating a warm, orange glow. The text and labels are overlaid on the right side of the image.



Food & drugs

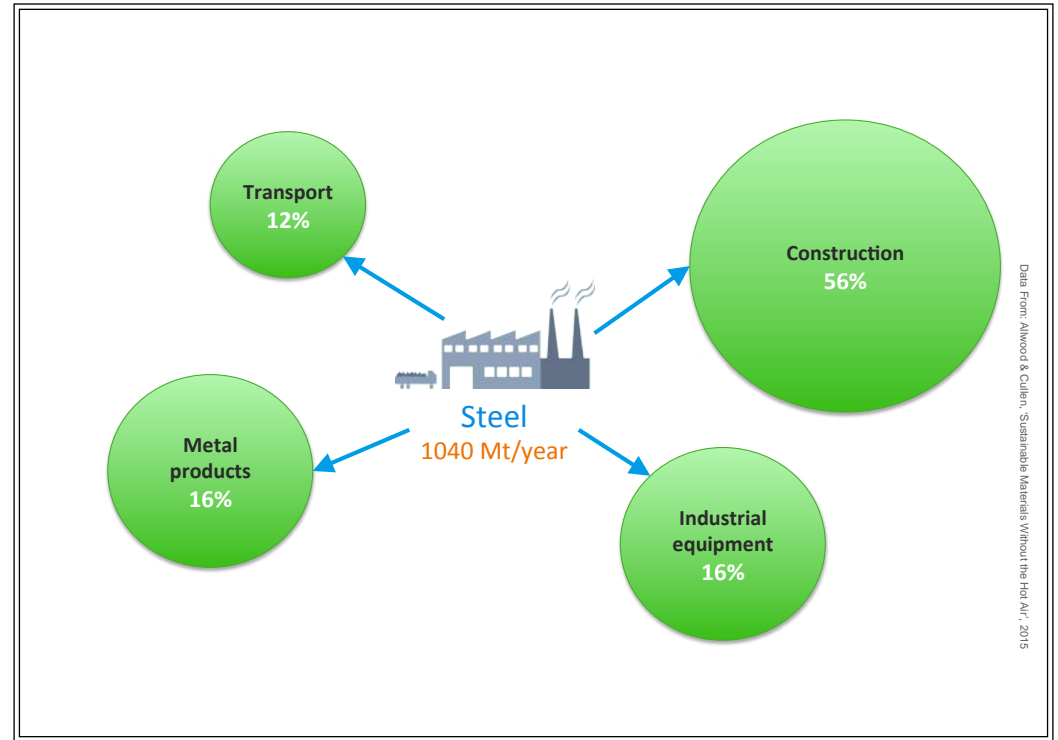
Textile

Automobile

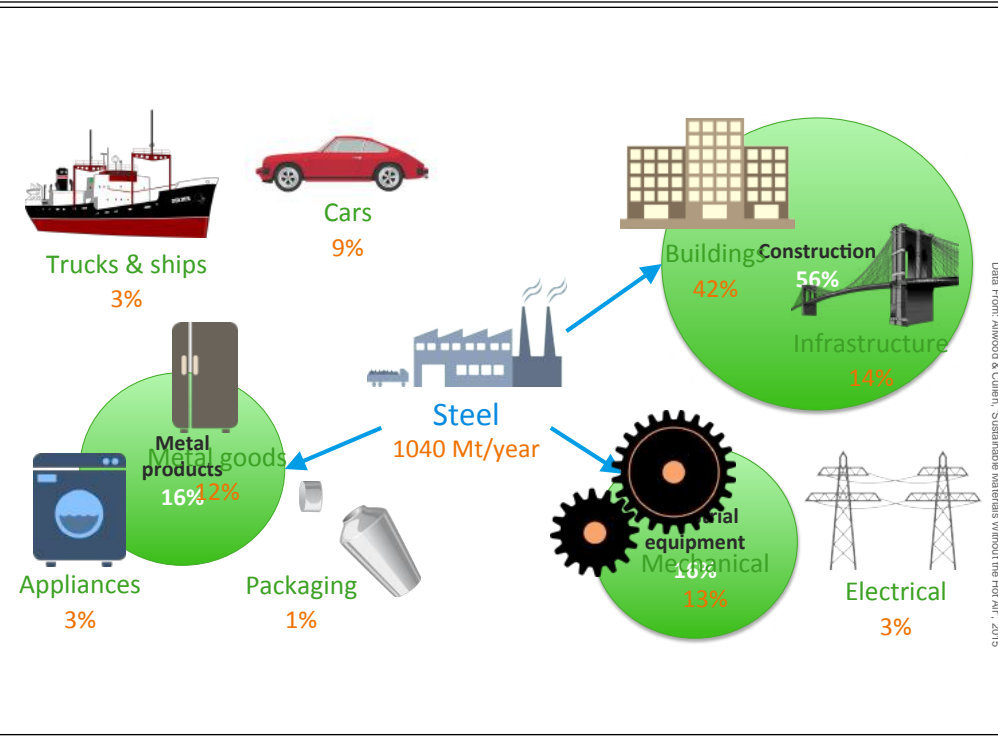
Pulp & paper

Image: Study Material for Food-tech

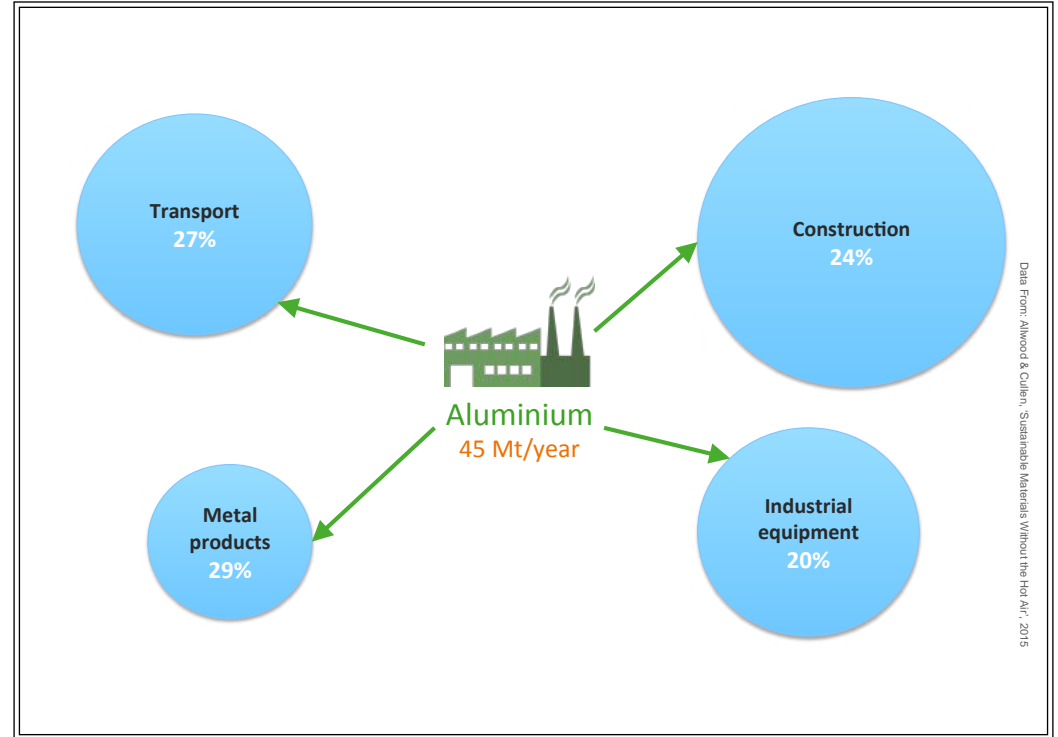
Light industry



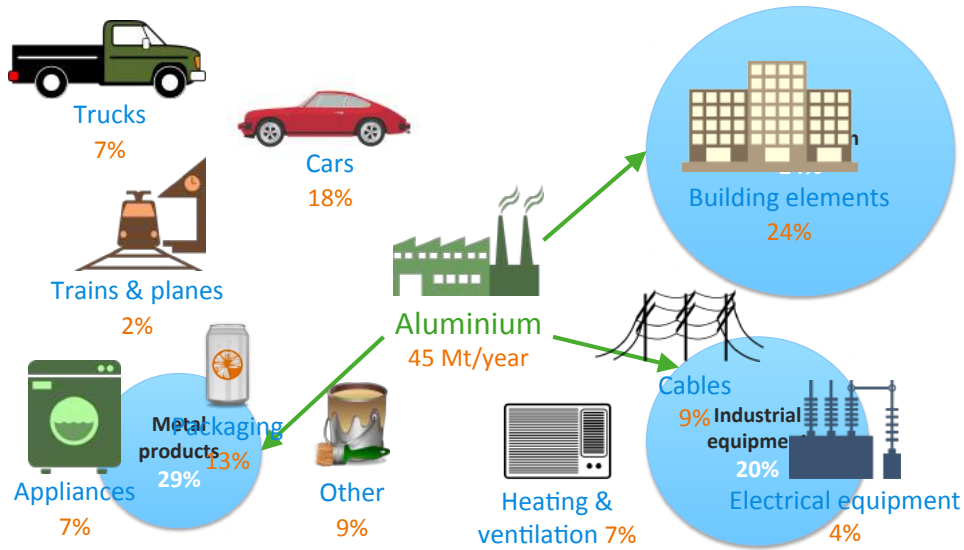
Data From: Alwood & Cullen, Sustainable Materials Without the Hot Air, 2015



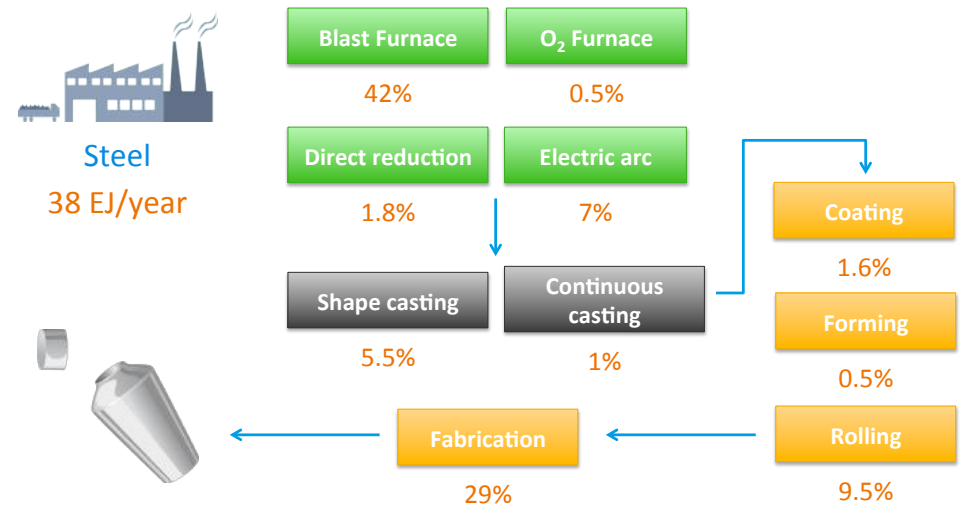
Data From: Alwood & Cullen, Sustainable Materials Without the Hot Air, 2015



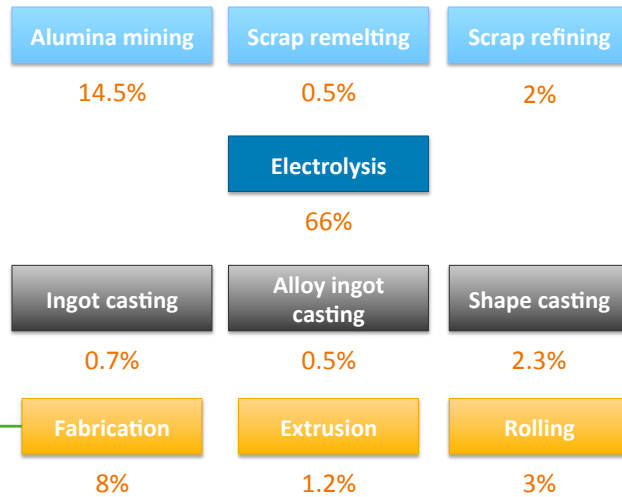
Data From: Alwood & Cullen, Sustainable Materials Without the Hot Air, 2015



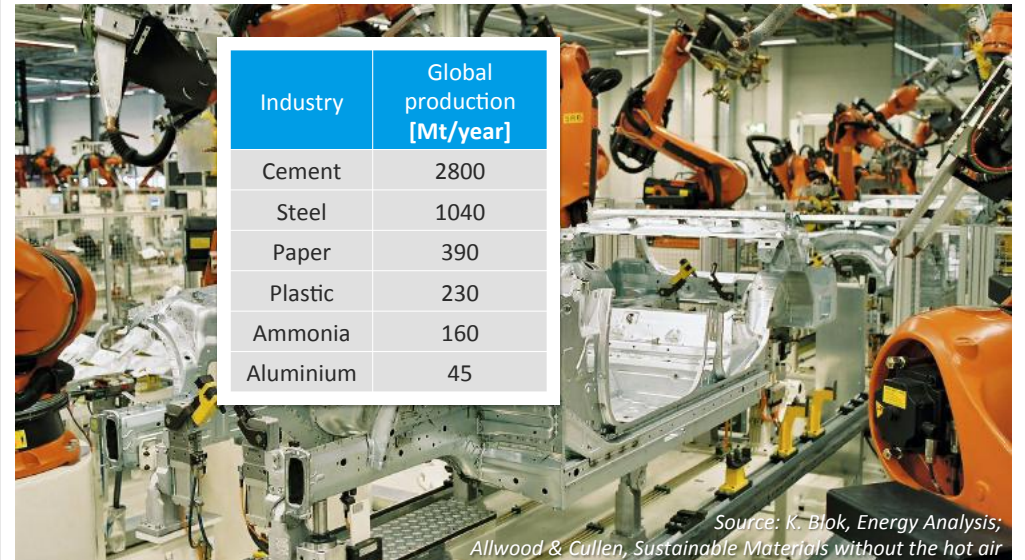
Data From: Allwood & Cullen, Sustainable Materials Without the Hot Air, 2015

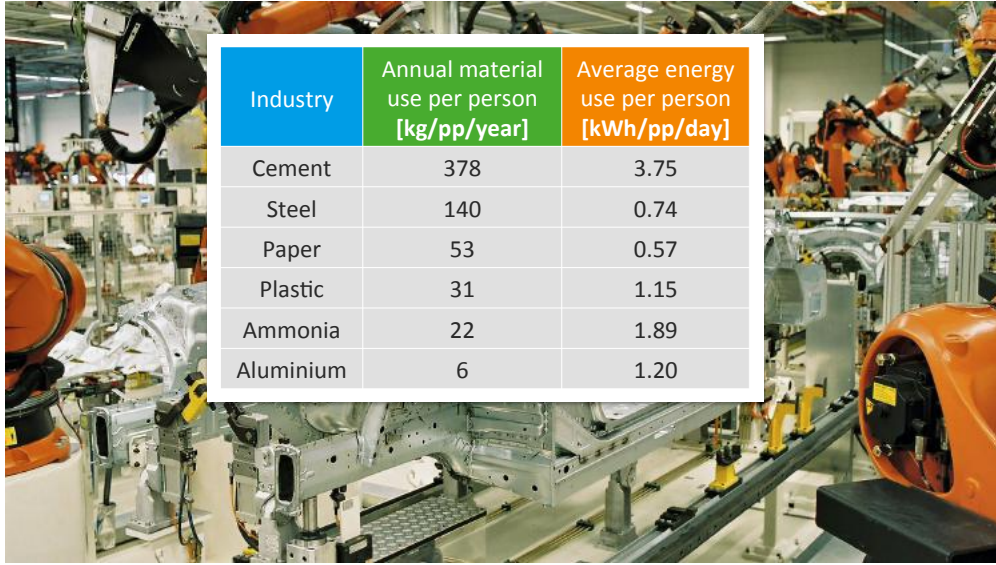


Data From: Allwood & Cullen, Sustainable Materials Without the Hot Air, 2015



Data From: Allwood & Cullen, Sustainable Materials Without the Hot Air, 2015





Industry	Annual material use per person [kg/pp/year]	Average energy use per person [kWh/pp/day]
Cement	378	3.75
Steel	140	0.74
Paper	53	0.57
Plastic	31	1.15
Ammonia	22	1.89
Aluminium	6	1.20

